

**UNITED STATES PATENT APPLICATION**

**FOR**

**FACTORED ASSERT CHAINS**

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## SPECIFICATION

### TITLE OF INVENTION

#### FACTORED ASSERT CHAINS

### FIELD OF THE INVENTION

[0001] The present invention relates to the field of computer software compilers. More particularly, the present invention relates to a factored assert chains for improving the efficiency of generated code.

### BACKGROUND OF THE INVENTION

[0002] Computer software compilers take programs written in high-level programming languages (such as C and Fortran) and translate them into machine language. It is important that the compiler optimize this machine code so that it will run more efficiently. Hence, in parallel computers, compilers often also serve as a mechanism to schedule and organize a computer program so that it may be run at improved efficiency.

[0003] In order to accomplish this goal, a compiler often needs to know precise information about variables throughout the program. For example, in a for-do loop, the fact that a variable always has a constant value inside the loop would be important information for the compiler to know, as then it could reorder the placement of the loop in the schedule of statements without fear of disrupting a use of the variable later in the program.

[0004] A definition of a variable can be said to reach a use of the variable if there is a path in the control flow graph from the definition to its use that does not contain any other definitions of the variable. A compiler can find all the reaching definitions at each use by utilizing a data-flow analysis. One common technique to track this information is to create what is known as use-def chains, which are chains linking reaching definitions to each use. Creation of use-def chains is known in the art and thus will not be discussed in great detail in the present document.

[0005] Several problems, however, can occur with use-def chains and reaching definitions. First, they are not very space efficient. Reaching definitions bit-vectors can use  $d$  bits at each node in the control flow graph, wherein  $d$  is the number of definitions in the program. Additionally, use-def chains often contain redundant information. Second, the resulting information is not as precise as it could be. This is especially true when conditionals are used in the program, as if the conditional, for example, was known to be always false, this information would not be tracked anywhere in the use-def chain.

[0006] In order to solve this problem, the concept of factored use-def chains (FUD chains) was introduced. FUD chains have two important properties. First, each use of a variable is reached by a single definition. Second, control-flow merge points are handled in a special way. Merge points exist where multiple reaching definitions exist in the original program. At merge points, special merge operators called  $\phi$ -terms are inserted into the program where there are multiple reaching definitions. The  $\phi$ -term serves as the reaching definition for any uses after the control-flow merge, at which point it factors the reaching definitions.

[0007] Creating factored use-def chains is a three part process. First, a dominator tree is created for the program. A node  $X$  may be said to dominate node  $Y$  if all paths from *entry* (the path entering the block of nodes) to  $Y$  include  $X$ . This may be written as  $X \text{ DOM } Y$ . A dominator tree is simply a convenient way to represent the  $\text{DOM}$  relation of a control flow graph. The dominator tree is rooted at *Entry*, with an edge from  $X$  to  $Y$  if  $X$  is an immediate dominator of  $Y$ . An immediate dominator is the closest strict dominator, wherein  $X$  strictly dominates  $Y$  if  $X \text{ DOM } Y$  and  $X \neq Y$ .

[0008] The second part of creating factored use-def chains involves placement of the  $\phi$ -terms. This requires the compiler to identify the control flow graph nodes that have assignments to each variable. Additionally, the *Entry* node is considered to have an assignment to each variable in the program. Additionally, a slicing edge from *Entry* to *Exit* adds a  $\phi$ -term at *Exit* for each variable that is assigned in the program.

[0009] In order to accomplish this, the compiler may execute an algorithm. This algorithm assumes the following data structures are available:

1.  $DF(X)$  is the dominance frontier for the control flow graph node  $X$  (A dominance frontier of node  $X$  is the set of nodes  $Z$  such that  $X$  dominates some predecessors of  $Z$ , but not all).
2.  $D(M)$  is the set of control flow graph nodes that contain assignments or definitions to variable  $M$ .
3.  $Symbols$  is the set of symbols or variables in the program.

[0010] Additionally, the algorithm uses the following data structures.

1. *WorkList* is a work list of control flow graph nodes; each node that contains an assignment or  $\phi$ -term will be added to the work list.
2. *Added(X)* is used to determine whether a  $\phi$ -term for the current variable has already been inserted at node *X*.
3. *InWork(X)* is used to determine whether node *X* has already been added to *WorkList* for the current variable.

[0011] The algorithm may be as follows:

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(1) for  $X \in V$  do
(2)    $InWork(X) = \perp$ 
(3)    $Added(X) = \perp$ 
(4) endfor
(5)  $WorkList = \emptyset$ 
(6) for  $M \in Symbols$  do
(7)   for  $X \in D(M)$  do
(8)      $WorkList = WorkList \cup \{X\}$ 
(9)      $InWork(X) = M$ 
(10)  endfor
(11) while  $WorkList \neq \emptyset$  do
(12)   remove some node  $X$  from  $WorkList$ 
(13)   for  $W \in DF(X)$  do
(14)     if  $Added(W) \neq M$  then
(15)       add  $\phi$ -term for  $M$  at  $W$ 
(16)        $Added(W) = M$ 
(17)       if  $InWork(W) \neq M$  then
(18)          $WorkList = WorkList \cup \{W\}$ 
(19)          $InWork(W) = M$ 
(20)       endif
(21)     endif
(22)   endfor
(23) endwhile
(24) endfor

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[0012] The third part of creating factored use-def chains the creation of the chains themselves. This may be accomplished through a depth-first traversal of the dominator tree, starting at *Entry*. The algorithm assumes the following data structures or functions are available.

1.  $Child(X)$  is the set of dominator children of node  $X$
2.  $SUCC(X)$  is the set of control flow graph successors of  $X$
3.  $WhichPred(X \rightarrow Y)$  is an index telling which predecessor of  $Y$  corresponds to the control flow graph edge from  $X$ .

[0013] Additionally, the algorithm uses the following data structures

1.  $CurrDef(M)$  is a link from the symbol table entry for variable  $M$  to the "current" definition of that variable
2.  $Chain(R)$  is a link from a use of a variable at reference  $R$  to the reaching definition or  $\phi$ -term.
3.  $\phi\text{-}Chain(R)[J]$  is a vector of links from a  $\phi$ -term at reference  $R$  to the reaching definitions along each control flow graph predecessor.
4.  $SaveChain(R)$  is a temporary placeholder to save the old reaching definition when a new definition or  $\phi$ -term is reached.

[0014] The algorithm may be as follows.

- (1) for  $M \in \text{Symbols}$  do
- (2)  $CurrDef(M) = \perp$
- (3) endfor
- (4) Search(*Entry*)
- (5) procedure Search( $X$ )
- (6) for each variable use or def or  $\phi$ -term  $R \in X$  do
- (7) let  $M$  be the variable referenced at  $R$
- (8) if  $R$  is a use then

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(9)          Chain(R) = CurrDef(M)
(10)         else if R is a def or  $\phi$ -term then
(11)             SaveChain(R) = CurrDef(M)
(12)             CurrDef(M) = R
(13)         endif
(14)     endfor
(15)     for Y  $\in$  SUCC(X) do
(16)         J = WhichPred( $X \rightarrow Y$ )
(17)         for each  $\phi$ -term R  $\in$  Y do
(18)             let M be the variable referenced at R
(19)              $\phi$ -Chain(R)[J] = CurrDef(M)
(20)         endfor
(21)     endfor
(22)     for Y  $\in$  Child(X) do
(23)         Search(Y)
(24)     endfor
(25)     for each variable use or def or  $\phi$ -term R  $\in$  X in reverse order do
(26)         let M be the variable referenced at R
(27)         if R is a def or a  $\phi$ -term then
(28)             CurrDef(M) = SaveChain(R)
(29)         endif
(30)     endfor
(31) end Search

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**[0015]** The problem with these prior art algorithms is that they do not handle assert statements, or other statements in the compiler code that contain information regarding variables, for example, their values. An assert statement is generally a statement inserted into the code that identifies known information regarding a variable at a specific point in the program. Essentially, they make explicit what is normally just implicit in a program. This information could be quite helpful for the compiler to access and utilize, but currently there is no technique available to factor or otherwise organize this assert information. These assert statements could be inserted either by the user or the compiler.

**[0016]** What is needed is a solution that allows for a compiler to establish and handle assert statements.



BRIEF DESCRIPTION

[0017] Factored assert chains allow for improved tracking of implicit information in a computer program. The compiler may generate assert statements at various points in the program where there is implicit information. The dominator tree for the program or section of program may then be constructed. Then  $\phi$ -nodes may be inserted throughout a control flow graph. Following that, for each statement in the program or section of program, an assert chain may be constructed from each use to the most recent available assert statement for the variable. Then, if the statement is an assert statement, each use may be kept track of as a mapping to an assertion, otherwise a mapping of any reference to an assert statement for each definition may be deleted. This may then iterate through the dominator tree. At the end, a series of factored assert chains remains, which may be utilized by the compiler to improve the efficiency of generated code.

BRIEF DESCRIPTION OF THE DRAWINGS

[0018] The accompanying drawings, which are incorporated into and constitute a part of this specification, illustrate one or more embodiments of the present invention and, together with the detailed description, serve to explain the principles and implementations of the invention.

[0019] In the drawings:

FIG. 1 is a flow diagram illustrating a method for generating factored assert chains in accordance with an embodiment of the present invention.

FIG. 2 is a flow diagram illustrating an assert chain search procedure in accordance with an embodiment of the present invention.

FIG. 3 is a block diagram illustrating an apparatus for generating factored assert chains in accordance with an embodiment of the present invention.

DETAILED DESCRIPTION

[0020] Embodiments of the present invention are described herein in the context of a system of computers, servers, and software. Those of ordinary skill in the art will realize that the following detailed description of the present invention is illustrative only and is not intended to be in any way limiting. Other embodiments of the present invention will readily suggest themselves to such skilled persons having the benefit of this disclosure. Reference will now be made in detail to implementations of the present invention as illustrated in the accompanying drawings. The same reference indicators will be used throughout the drawings and the following detailed description to refer to the same or like parts.

[0021] In the interest of clarity, not all of the routine features of the implementations described herein are shown and described. It will, of course, be appreciated that in the development of any such actual implementation, numerous implementation-specific decisions must be made in order to achieve the developer's specific goals, such as compliance with application- and business-related constraints, and that these specific goals will vary from one implementation to another and from one developer to another. Moreover, it will be appreciated that such a development effort might be complex and time-consuming, but would nevertheless be a routine undertaking of engineering for those of ordinary skill in the art having the benefit of this disclosure.

[0022] In accordance with the present invention, the components, process steps, and/or data structures may be implemented using various types of operating systems, computing platforms, computer programs, and/or general purpose machines. In addition, those of ordinary skill in the

art will recognize that devices of a less general purpose nature, such as hardwired devices, field programmable gate arrays (FPGAs), application specific integrated circuits (ASICs), or the like, may also be used without departing from the scope and spirit of the inventive concepts disclosed herein.

**[0023]** The present invention provides a mechanism for factored assert chains. The compiler may generate assert statements at various points in the program where there is implicit information. The dominator tree for the program or section of program may then be constructed. Following that, for each statement in the program or section of program, an assert chain may be constructed from each use to the most recent available assert statement for the variable. Then, if the statement is an assert statement, each use may be kept track of as a mapping to an assertion, otherwise a mapping of any reference to an assert statement for each definition may be deleted. This may then iterate through the dominator tree. At the end, a series of factored assert chains remains, which may be utilized by the compiler to speed compiling and improve the efficiency of generated code.

**[0024]** An embodiment of the present invention may be utilized as an extension to the use-def chain creation algorithms described in the prior art. Some of the calculations are similar and thus running both simultaneously can be advantageous.

**[0025]** FIG. 1 is a flow diagram illustrating a method for generating factored assert chains in accordance with an embodiment of the present invention. At 100, the compiler may generate assert statements. This may be accomplished by using information which is implicit in the basic

block. One way to accomplish this is to look for if...then...else (such as "if A<B"). In the block of statements in the "then" part, the compiler may then generate an assert statement indicating "A<B". In the block of statements in the "else" part, the compiler may then generate an assert statement indicating "A>=B". In another example, a do loop may be located in the basic block and an assert statement indicating "stride <> 0" may be generated if the stride is variable.

Similar rules may be defined for various types of loops, branches, and other areas where implicit information may be identified.

[0026] At 102, a dominator tree may be created for one or more basic blocks in a program. At 104,  $\phi$ -nodes may be inserted throughout the control flow graph. At 106, a mapping from each variable in the control flow graph to an assert statement may be created and initialized to empty. At 108, an assert chain search procedure may be called with entry as a parameter, wherein entry is a root node of said dominator tree. This will be described in more detail with regard to FIG. 2 and the corresponding text.

[0027] FIG. 2 is a flow diagram illustrating an assert chain search procedure in accordance with an embodiment of the present invention. The assert chain search procedure may take a parameter X as input. At 200, a current value of the mapping from variables to assert statements may be saved. 202-212 may be repeated for each statement in X. At 202, each variable use in the statement may be found. At 204, for each variable use in the statement, it may be determined if there is an available assert statement which defines information about the corresponding variable. If so, then at 206 an assert chain may be made from the variable use to the available assert statement. At 208, it may be determined if the statement is an assert statement. If it is,

then each use in the assert statement is effectively a definition, and thus at 210 each use in the statement may be mapped to an assertion. One of ordinary skill in the art will recognize that there are many ways to track such information, but one way to keep track would be simply to save that information. If at 208 it is determined that the statement is not an assert statement, then at 212 a mapping of any reference to an assert statement for each definition in the statement may be deleted. Then at 214 it may be determined if there are any more statements in X. If so, then the process may return to 206 to examine the next statement. If not, the process may move to 216, where the assert chain search procedure may be iteratively called for each child of X in the dominator tree. Then at 218, the current value of the map of assert statements for each variable may be restored. This may be done to restore the value of a current assert definition to where it was when the process started, because it is valid for successor basic blocks only.

[0028] In an embodiment of the present invention, the algorithm may be as follows.

However, one of ordinary skill in the art will recognize that this is just an example and should not be read as limiting.

[0029] Algorithm AssertChain:

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    for m in Symbols do
        CurrAssertDef(M) = bottom
    end for
    AssertChainSearch (Entry)
procedure AssertChainSearch (X)
    // X is a node (basic block)
    SaveAssertDef = CurrAssertDef
    for each statement S in X do
        for each variable use or phi-term R in S do
            Let M be the variable referenced at R
            if CurrAssertDef(M) is not bottom then

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        AssertChain(R) = CurrAssertDef(M)
    end if
end for
if S is an AssertStmt then // each use is a def of an assertion
    for each variable def R in S do
        Let M be the variable referenced at R
        CurrAssertDef(M) = R
    end for
else
    for each variable def R in S do
        CurrAssertDef(M) = bottom
    end for
end if
end for
for Y in DominanceChild(X) do
    AssertChainSearch (Y)
end for
CurrAssertDef = SaveAssertDef
End AssertChainSearch

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**[0030]** FIG. 3 is a block diagram illustrating an apparatus for generating factored assert chains in accordance with an embodiment of the present invention. An assert statement generator 300 may generate assert statements. This may be accomplished by using implicit statements in the basic block. One way to accomplish this is to look for if...then...else statements having a comparison after the if (such as "if A<B") by using an if..then...else statement finder 302. In the block of statements in the "then" part, the compiler may then generate an assert statement indicating "A<B" using an assert statement inserter 304 coupled to the if...then...else statement finder 302. In the block of statements in the "else" part, the compiler may then generate an assert statement indicating "A>=B" using the assert statement inserter 304. In another example, a do loop may be located in the basic block and an assert statement indicating "stride <> 0" may be generated using the assert statement inserter 304 coupled to a do loop finder 306. The stride of a do loop indicates the step value, such as *s* in a statement "do *i* = 1, *n*, *s*". The compiler could insert an assert statement when *s* is not a constant. Similar rules may be

defined for various types of loops, branches, and other areas where implicit information may be identified.

**[0031]** A dominator tree creator 308 coupled to the assert statement generator 300 may create a dominator tree for one or more basic blocks in a program. An initialized map of assert statements creator 310 coupled to the assert statement generator 300 may create a map of assert statements for each variable in the basic blocks, initialized to empty. An assert chain search procedure caller 312 coupled to the initialized map of assert statements creator 310 and to the assert statement generator 300 may call an assert chain search procedure with entry as a parameter, wherein entry is a root node of said dominator tree.

**[0032]** The assert chain search procedure may take a parameter *X* as input. The assert chain search procedure caller 312 may contain a current variable value map of assert statements saver 314, which may save a current value in the map of assert statements for each variable. A statement traverser 316 coupled to the current variable value map of assert statements saver 314 may repeat several actions for each statement in *X*. A variable use finder 318 coupled to the statement traverser 316 may find each variable use in the statement. A variable use traverser 320 coupled to the statement traverser 316 and to the variable use finder 318 may repeat several actions for each variable use in the statement. An available assert statement determiner 322 coupled to the variable use traverser 320 may determine if there is an available assert statement which defines information about the corresponding variable. An assert chain creator 324 coupled to the available assert statement determiner 322 and to the variable use traverser 320 may make an assert chain from the variable use to the available assert statement. An assert



statement determiner 326 coupled to the statement traverser 316 and to the assert chain creator 324 may determine if the statement is an assert statement. If it is, then a variable use mapping adder 328 coupled to the assert statement determiner 326 may add a mapping for each use in the statement to an assert statement. One of ordinary skill in the art will recognize that there are many ways to track such information, but one way to keep track would be simply to save that information. If it is determined that the statement is not an assert statement, then an assert statement reference mapping deleter 330 coupled to the assert statement determiner 326 may delete the mapping of any reference to an assert statement for each definition in the statement. Then it may be determined if there are any more statements in X. If so, then the process may repeat and examine the next statement. If not, the process may iterative call the assert chain search procedure for each child of X in the dominator tree using an assert chain search procedure iterative caller 332 coupled to the statement traverser 316. Then the current value of the map of assert statements for each variable may be restored using a current variable value map of assert statements restorer 334 coupled to the statement traverser 316. This may be done to restore the value of a current assert definition to where it was when the process started, because it is valid for successor basic blocks only.

**[0033]** While embodiments and applications of this invention have been shown and described, it would be apparent to those skilled in the art having the benefit of this disclosure that many more modifications than mentioned above are possible without departing from the inventive concepts herein. The invention, therefore, is not to be restricted except in the spirit of the appended claims.